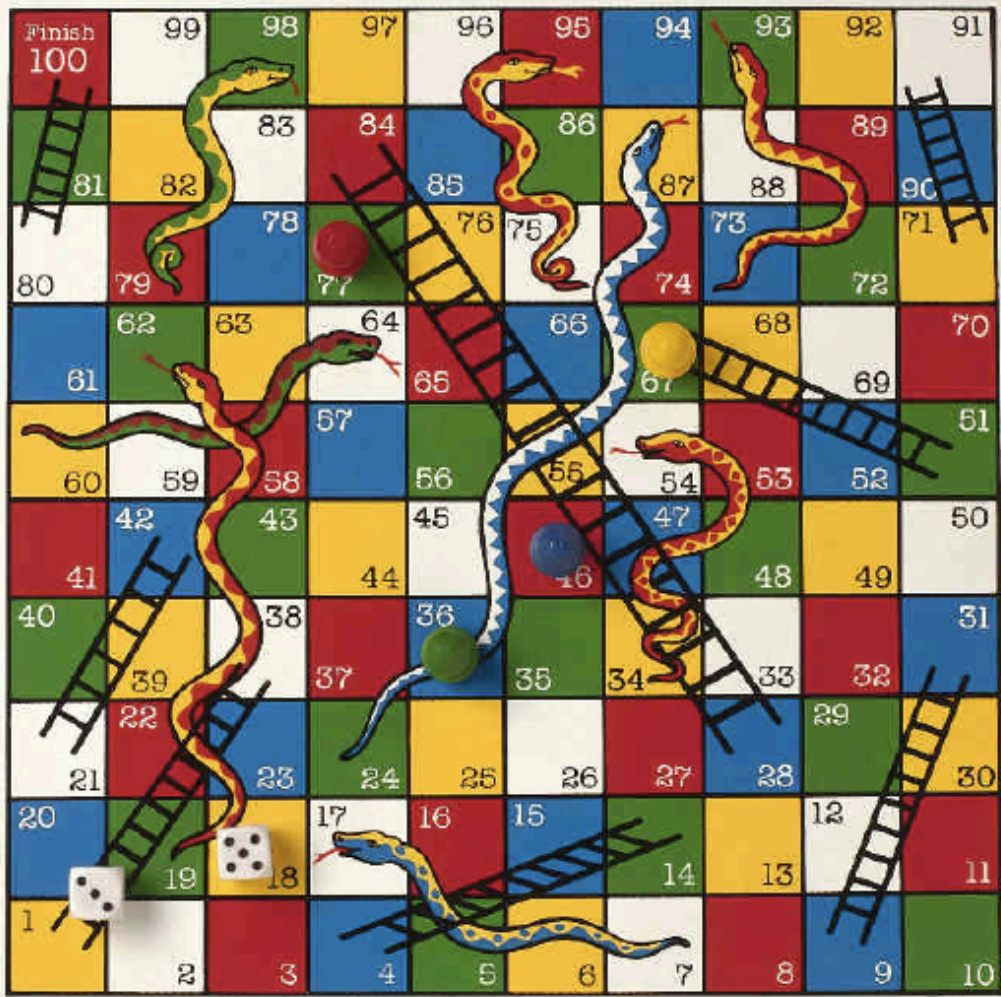


# Multiple Pattern Matching with the Aho-Corasick Algorithm

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# Intro: A Few Definitions

- TEXT: a (usually large) set of characters that we wish to search through (the “haystack”)
- PATTERN: a smaller set of characters that we are looking for in the text (the “needle”)
- DICTIONARY: a set of (distinct) patterns that we are looking for (a “handful of different needles”)

# Motivation

- There are many real-world cases whereby we need to search for instances of not one, but many different patterns in a given text (exact-set matching)
- Problem: large sets, long patterns and huge texts result in unacceptable (s-l-o-w-w-w-w) performance using naive methods

# Motivation

- Example 1: DNA Contamination
- The Question: "Did we find Dinosaur DNA?"
- TEXT: a candidate DNA sample from a paleontological dig site
- DICTIONARY: several small snippets of human mitochondrial DNA
- <http://www.dinosauria.com/jdp/misc/dna.htm>

# Motivation

- Example 2: Computer Virus Detection
- Question: "Is my program infected?"
- TEXT: the complete code of a suspect program (eg. Microsoft Word)
- DICTIONARY: the set of all known computer viruses which could infect the given system

# Implementation

- Clearly, multiple pattern matching is important
- How do we do FAST multiple pattern searches?



# CONFUSION

You're not making any sense at all.



# Aho-Corasick Algorithm

- due to Alfred V. Aho and Margaret J. Corasick (Bell Labs)
- first published in June 1975

# Aho-Corasick Algorithm

- MAIN IDEA: go through the text just ONCE, searching for all of the patterns in the dictionary at once

# Aho-Corasick Algorithm

- Question: How do we examine a given text for instances of an entire dictionary, ALL AT ONCE?
- Answer: Smart pre-processing!

# Aho-Corasick Algorithm

- STEP 1: Build a KEYWORD TREE  $K$  from the dictionary elements
- Label certain nodes of the keyword tree  $K$  with the index of that particular pattern in the dictionary  $P$  (starting at 1). These will be the NUMBERED NODES.

# Aho-Corasick Algorithm

- STEP 2: Create FAILURE LINKS within the keyword tree  $K$
- FAILURE LINK: a link from the longest suffix of the current pattern that also exists as a prefix in the keyword tree, to that prefix in the tree.
- THEOREM: Failure links are unique

# Aho-Corasick Algorithm

- STEP 3: Using the A-C Algorithm, search the text T using the pre-constructed keyword tree for the dictionary P



## Algorithm full\_AC\_search

```
l := 1;      // l : starting pos of current search in the text
c := 1;      // c : current character position in the text
w := root;  // w : the node we are currently at in the tree
repeat
  while there is an edge (w, w') labeled T(c)
  begin      // w' : some child of w that fits the description
    IF (w' is a numbered node), OR
      (there is a directed path of failure links
        from w' to a numbered node)
    THEN
      report occurrence of Pi, ending at position c;
      w = w', and c = c + 1;
    end;
  w := nw and l := c - lp(w); // ask us about lp(w)! :-)
until c > n;
```

# Running Time

- Preprocessing:  $O(n)$  time to create prefix tree and failure links, where  $n$  is the total length of the dictionary  $\mathcal{P}$
- Searching: we proceed through the text  $T$  exactly once, possibly reporting occurrences of  $\mathcal{P}$  in  $T$
- Thus, the total running time is  $O(n) + O(m+k)$ , where  $m = |T|$  and  $k = \#$  occurrences



# Running Time

- **Theorem:** If  $\mathcal{P}$  is a set of patterns with total length  $n$ , and  $T$  is a text of total length  $m$ , then one can find all occurrences of  $T$  in patterns from  $\mathcal{P}$  in  $O(n)$  preprocessing time plus  $O(m+k)$  search time, where  $k$  is the number of occurrences found.

# Aho-Corasick Algorithm

- One last real-world application:
- `grep -F` (UNIX and derivatives; search a document for a list of fixed strings) makes use of the Aho-Corasick algorithm
- if you run Mac OS X or any other -nix system, you have Aho-Corasick!

# Primary Reference:

- Gusfield, Dan. Algorithms on Strings, Trees, and Sequences: Computer Science and Computational Biology. Cambridge, England: Cambridge University Press, 2005.

# Questions?

